

Parasitäre Thematisation

1. Bei der Abbildung binärer Triaden, d.h. triadischer Zeichenrelationen und Realitätsthematiken mit dyadischen „Subzeichen“ auf ternäre Triaden, d.h. ternäre Teilrelationen triadischer Relationen, bleibt ein ontischer Spielraum, der entweder die Möglichkeit lokaler Variation bei der Abbildung semiotischer Werte auf Orte bietet (vgl. Toth 2026) oder aber, wie im folgenden gezeigt werden soll, durch weitere thematische Werte belegt werden kann, die wir als parasitär bezeichnen, weil sie für eine bestimmte Thematisationsstruktur entitätischer Realitäten zunächst nicht vorgesehen sind. Wesentlich ist, daß diese zusätzlichen Werte frei sind, d.h. alle n Werte einer n -adischen Relation annehmen können und also nicht von den Werten der thematisierenden oder thematisierten Relationen abhängig ist. Für eine triadische Semiotik ist also $\blacksquare \in (1, 2, 3)$.

2. Parasitäre Thematisierungen

1. Strukturtyp: $(a.b \leftarrow (c.d, e.f))$

$$R = (a, b, \blacksquare) \leftarrow ((c, d, \blacksquare), (e, f, \blacksquare))$$

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Literatur

Toth, Alfred, Lokale Variationen bei Thematisierungen. In: Electronic Journal for Mathematical Semiotics, 2026

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